# Search for direct CP-violation in charged K decays from NA48/2 experiment

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# Motivation

- Major milestones in CP-violation history:
  - **1964 Indirect** CP-violation in K<sup>0</sup> (Cronin, Christenson, Fitch, Turlay)
  - **1988, 1999 Direct** CP-violation in K<sup>0</sup> (NA31, E731, NA48, KTeV)
  - **2001** Indirect CP-violation in B<sup>0</sup> (Babar, Belle)
  - **2004 Direct** CP-violation in B<sup>0</sup> (Belle, Babar)

- Look for <u>direct CP-violation in K<sup>±</sup></u>
  - K<sup>±</sup>→π<sup>±</sup>π<sup>+</sup>π<sup>-</sup> (BR: 5.57%)
  - K<sup>±</sup>→π<sup>±</sup>π<sup>0</sup>π<sup>0</sup> (BR: 1.73%)

[Only direct CP-violation in K<sup>±</sup> is possible – no mixing]

# **CP-Violation parameter A<sub>a</sub>**

Matrix element:

 $|M(\mathbf{u}, \mathbf{v})|^2 \sim 1 + g \cdot \mathbf{u} + h \cdot \mathbf{u}^2 + k \cdot \mathbf{v}^2 + \dots$ 

 $u = (s_3 - s_0)/m_{\pi}^2$   $v = (s_2 - s_1)/m_{\pi}^2$   $s_i = (P_K - P_{\pi i})^2, i=1,2,3 (3 = odd \pi)$  $s_0 = (s_1 + s_2 + s_3)/3$ 

 $\begin{array}{l} \underline{\textit{Measured parameters (PDG):}} \\ \texttt{K}^{\pm} \rightarrow \pi^{\pm} \pi^{+} \pi^{-} \rightarrow \texttt{g}^{+} = -0.2154 \pm 0.0035 \\ \texttt{K}^{\pm} \rightarrow \pi^{\pm} \pi^{0} \pi^{0} \rightarrow \texttt{g}^{+}_{0} = 0.638 \pm 0.020 \\ \texttt{|h|,|k| << |g|} \end{array}$ 

#### CP-violation parameter:



<u>A<sub>g</sub> ≠ 0 indicates direct CP-</u> <u>violation</u>

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## **Experiments and Theory**



#### The experimental precision

until NA48/2 was at the level of **few 10**-3 in both decay modes

**SM estimates** vary within an order of magnitude (few 10<sup>-6</sup>...8x10<sup>-5</sup>).

**Models beyond SM** predict possible enhancements partially within the reach of NA48/2.

#### Asymmetry in decay widths

expected to be smaller than in Dalitz-plot slopes  $(SM \sim 10^{-7}...10^{-6}).$ 

#### NA48/2 Beam Line



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S. Balev – Direct CP-violation in K<sup>±</sup>

### **NA48 detector**



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### NA48/2 data taking: completed

A view of the NA48/2 beam line



- 2003 run: ~ 50 days
- 2004 run: ~ 60 days
- Total statistics in 2 years:
  - **K**<sup>±</sup>  $\rightarrow \pi^{-}\pi^{+}\pi^{\pm}$ : > 3.10<sup>9</sup>
  - **K**<sup>±</sup>  $\rightarrow \pi^0 \pi^0 \pi^{\pm}$ : > 1.10<sup>8</sup>
  - Rare K<sup>±</sup> decays: BR's down to 10<sup>-9</sup> can be measured

>200 TB of data recorded

### **Selected events properties**



### A<sub>q</sub> measurement strategy

- ♦  $|M^{\pm}(u,v)|^2 \sim 1 + g^{\pm}u + hu^2 + kv^2 + ...$
- Project onto u axis (integration over v)
- For <u>equal K<sup>+</sup> and K<sup>-</sup> acceptance</u>, A<sub>g</sub> can be extracted from a fit to the ratio R(u):

$$R(u) = \frac{N^{+}(u)}{N^{-}(u)} = n \frac{1 + g^{+} \cdot u + h \cdot u^{2} + \dots}{1 + g^{-} \cdot u + h \cdot u^{2} + \dots} \approx n \left[ 1 + \frac{\Delta g \cdot u}{1 + g \cdot u + h \cdot u^{2}} \right]$$
  
normalization 
$$A_{g} = \Delta g/2g$$

- The normalization is a free parameter in the fit and  $\Delta g$  does not depend on it.
- For the "charged" mode a fit with linear function is suitable due to smallness of the slope g.
- U-calculation:
  - In "charged mode"  $\rightarrow$  only the magnetic spectrometer is used
  - In "neutral mode"  $\rightarrow$  only the calorimeter is used

# **Possible U-spectra ratios**



#### Indeces of ratios correspond to:

- $\rightarrow$  beamline polarity (U/D);
- → kaon deviation in spectrometer magnet field (S/J).



- In each ratio the charged pions are deflected towards the **same side** of the detector (*left-right asymmetry cancels out*)
  - In each ratio the event at the numerator and denominator are collected in **subsequent period** of data taking (**global time variations**)

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#### **Apparatus asymmetries cancellation**

#### $R = R_{US} * R_{UJ} * R_{DS} * R_{DJ} \longrightarrow \text{ fit with } f(u) = \mathbf{n} \cdot (1 + 4\Delta \mathbf{g} \cdot u / (1 + g \cdot u + h \cdot u^2))$

#### <u>3-fold cancellation of systematic biases:</u>

- global time-variable biases (K<sup>+</sup>/K<sup>-</sup> simultaneously recorded);
- beam line biases (K<sup>+</sup> beam up / K<sup>-</sup> beam up etc.);
- **detector asymmetries** (K<sup>+</sup> toward Saleve / K<sup>-</sup> toward Saleve etc.).
- In addition, acceptance is defined respecting <u>azimuthal symmetry</u>:
  effects of permanent (irreversible) fields (Earth, vacuum magnetization) cancel
- The result is sensitive only to <u>time variations</u> of small asymmetry in experimental conditions with a characteristic time smaller than corresponding field-alternation period (beam week, detector day).

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## $\Delta g$ by samples (in 10<sup>-4</sup>)



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# Systematic uncertainties of $\Delta g$

$\mathbf{K} \rightarrow \pi \pi \pi \pi$
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Systematic effect	Effect on $\Delta g \times 10^4$
Spectrometer alignment	±0.1
Spectrometer magnetic field	±0.3
Beam geometry / stray magn. field	±0.2
Accidental activity (pile-up)	±0.2
Resolution effects	±0.2
Total systematic uncertainty	±0.5
L1 trigger: uncertainty only	±0.3
L2 trigger: correction	-0.1±0.3
Total trigger correction	-0.1±0.4
Systematic & trigger uncertainty	±0.7

 $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \pi^{0}$ 

Systematic effect		Effect on ∆g x 10 <sup>4</sup>	
	Uc	alculation & fitting	< ± 0.1
LKr	LK	r nonlinearity	< ± 0.1
	Sh	owers overlapping	± 0.5
Spectrometer alignment and Momentum scale		< ± 0.1	
Accidental activity (pile-up)		± 0.2	
L1 trigger:		Charged signal	± 0.1
		Neutral signal	± 0.1
L2 trigger: Mass Box		± 0.3	
Total			± 0.6

# **A**<sub>q</sub> results



- The results have <u>10 times better precision</u> than the previous measurements;
- The errors are **dominated by statistics**;
- The results are consistent with the predictions of the **Standard Model.**

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# Theoretical predictions on A<sub>q</sub>

Standard Model	L.Maiani, N.Paver '95	(2.3±0.6)x10 <sup>-6</sup>
	A. Bel'kov '95	<4x10 <sup>-4</sup>
	G.D'Ambrosio, G.Isidori '98	<10 <sup>-5</sup>
	E.Shabalin '01	<3x10 <sup>-5</sup>
	E.Gamiz, J.Prades, I.Scimemi '03	(-2.4±1.2)x10 <sup>-5</sup>
	E.Shabalin '05 (La Thuile'05)	<8x10 <sup>-5</sup>
SUSY	G.D'Ambrosio, G.Isidori, G.Martinelli	~10-4
New physics	E.Shabalin '98 [Weinberg model of extended Higgs doublet]	~4x10 <sup>-4</sup>
	I.Scimemi '04	>3x10 <sup>-5</sup>

## Previous measurements of A<sub>a</sub>

- ♦ Charged" mode K<sup>±</sup>→π<sup>±</sup>π<sup>+</sup>π<sup>-</sup>:
  - Ford et al. at BNL (1970): A<sub>g</sub> = ( -70 ± 53 )·10<sup>-4</sup>; Statistics: 3.2M K<sup>±</sup>;
  - HyperCP at FNAL, prelim. (2000): A<sub>g</sub> = ( 22 ± 15<sub>stat</sub> ± 37<sub>syst</sub> )·10<sup>-4</sup>; Statistics: 54M K<sup>±</sup>;

[W.-S. Choong PhD thesis, LBNL-47014 Berkeley 2000.]

<u>"Neutral" mode K⁺ →π⁺π⁰π⁰ :</u>

Smith et al. at CERN-PS (1975): A<sub>g</sub> = (19 ± 125)·10<sup>-4</sup>; Statistics: 0.12M K<sup>±</sup>;

TNF at IHEP Protvino (2005): A<sub>g</sub> = (2 ± 19)·10<sup>-4</sup>; Statistics: 0.62M K<sup>±</sup>.

# Instrumental asymmetries

- Charge-asymmetric effects due to
  - coupling of permanent magnetic fields with (alternating) spectrometer magnetic field;
  - global time instabilities (i.e. non-perfect inversion of spectrometer magnet) [IMPORTANT: SIMULTANEOUS BEAMS!]

cancel by averaging <u>Saleve</u> and <u>Jura</u> ratios:

$$R_{U} = R_{US} * R_{UJ} \implies \text{fit with } f(u) = \mathbf{n} \cdot (1 + 2\Delta_{U}u/(1 + gu + hu^{2}))$$
  
$$R_{D} = R_{DS} * R_{DJ} \implies \text{fit with } f(u) = \mathbf{n} \cdot (1 + 2\Delta_{D}u/(1 + gu + hu^{2}))$$

Effects of upper & lower beam geometry difference cancel by averaging <u>Up</u> and <u>Down</u> ratios:

 $R_{S} = R_{US} * R_{DS} \implies \text{fit with } f(u) = \mathbf{n} \cdot (1 + 2\Delta_{S}u/(1 + gu + hu^{2}))$  $R_{J} = R_{UJ} * R_{DJ} \implies \text{fit with } f(u) = \mathbf{n} \cdot (1 + 2\Delta_{J}u/(1 + gu + hu^{2}))$ 

 $(\Delta_U - \Delta_D)/2 \rightarrow$  up-down apparatus asymmetry Cancel in quadruple ratio  $(\Delta_S - \Delta_J)/2 \rightarrow$  left-right apparatus asymmetry