



# Rare kaon and hyperon decays in NA48 experiment

## Natalia Molokanova

Joint Institute for Nuclear Research

on behalf of the NA48/2 Collaboration

Cambridge, CERN, Chicago, Dubna, Edinburgh, Ferrara, Firenze, Mainz, Northwestern, Perugia, Pisa, Saclay, Siegen, Torino, Vienna

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- $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$  decay
  - formalism
  - experimental status
  - NA48/2 measurement
- $K^{\pm} \rightarrow \pi^{\pm} e^{+} e^{-} \gamma$  decay
  - NA48/2 measurement
- Decay asymmetries of  $\Xi^0 \rightarrow \Lambda \gamma$  and  $\Xi^0 \rightarrow \Sigma^0 \gamma$ 
  - NA48/1 measurement
- $\Xi^0 \rightarrow \Lambda^0 e^+ e^- decay$ 
  - NA48/1 measurement





✓ Primary proton beam → p = 400 GeV/c (7×10<sup>11</sup> ppp)
✓ Simultaneous K<sup>+</sup>/K<sup>-</sup> beams → p = (60 ± 3) GeV/c
✓ K<sup>+</sup>/K<sup>-</sup> beam flux → 3.8 (2.6) Ø 10<sup>7</sup> ppp





- Magnetic spectrometer (4 DCHs):  $\Delta p/p = 1.0\% + 0.044\%*p$  [GeV/c]  $\pi^{+}\pi^{-}\pi^{\pm}$  mass resolution about 1.7 Mev/c
- Liquid Krypton EM calorimeter (LKr) High granularity, quasi-homogenious;  $\Delta E/E = 3.2\%/\sqrt{E} + 9\%/E + 0.42\%[GeV]$  $\sigma_x, \sigma_y \sim 1.5 \text{ mm}$  $\pi^0 \pi^0 \pi^{\pm}$  mass resolution about 1.4 Mev/c
- Hodoscope fast trigger; precise time measurement (150ps).
- Hadron calorimeter, muon veto counters, photon vetoes.
- LV1 trigger: hodoscope and DCH multiplicity LV2 trigger: on-line data processing









## $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$ . Decay formalism.





$$\frac{d\Gamma^{\pm}}{dW} \simeq \left(\frac{d\Gamma^{\pm}}{dW}\right)_{IB} \left[1 + 2\left(\frac{m_{\pi}}{m_{K}}\right)^{2} W^{2} |E| \cos((\delta_{1} - \delta_{0}) \pm \phi) + \left(\frac{m_{\pi}}{m_{K}}\right)^{4} W^{4} (|E|^{2} + |M|^{2})\right]$$

$$INT$$

$$DE$$

$$DE$$

 $\Gamma^{\pm}$  depends on 2 variables ( $T^*_{\pi}$  and W) that can be reduced to only one integrating over  $T^*_{\pi}$ 

**IB**, **DE** and **INT** components can be separated kinematically using the Lorentz invariant variable *W* which is defined as follows:

$$W^2 = \frac{(P_K^* \cdot P_\gamma^*)(P_\pi^* \cdot P_\gamma^*)}{(m_k m_\pi)^2}$$

 $\mathbf{P}^{*}_{\ \mathbf{K}} = 4$ -momentum of the K<sup>±</sup>  $\mathbf{P}^{*}_{\ \pi} = 4$ -momentum of the  $\pi^{\pm}$  $\mathbf{P}^{*}_{\ \gamma} = 4$ -momentum of the  $\gamma$ 

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Two types of contributions: Electric (J=l±1) dipole (E) Magnetic (J=l) dipole (M)

Electric contributions are dominated by the Inner Bremsstrahlung term

DE shows up only at order O( $p^4$ ) in CHPT: is generated by both E and M contributions

**INT** term is sensitive to **E** only

Inner Bremsstrahlung(IB) :  $(2.75\pm0.15)\cdot10^{-4}$  PDG (2006) (55<T<sup>\*</sup><sub>π</sub><90 MeV)

Direct Emission (DE) :  $(4.4\pm0.7)\cdot10^{-6}$  PDG (2006) (55<T<sup>\*</sup><sub>π</sub><90 MeV)

Interference (INT) : not yet measured

## $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$ . Exp results for DE and INT.



	Experiment	Year	# Events	<b>BR(DE)</b> $\times$ 10 <sup>6</sup>	All the measurements have been
	E787 [20]	2000	19836	$4.7 \pm 0.8 \pm 0.3$	performed:
	E470 [21]	2003	4434	$3.2 \pm 1.3 \pm 1.0$	✓in the T* region <b>55-90 MeV</b> to avoid
_	E787 [22]	2005	20571	$3.5 \pm 0.6^{+0.3}_{-0.4}$	$\pi^{\pm}\pi^{0}$ and $\pi^{\pm}\pi^{0}\pi^{0}$ background
_	E470 [23]	2005	10154	$3.8 \pm 0.8 \pm 0.7$	
1					$\checkmark$ assuming INT = 0



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#### ➢In flight Kaon decays

- ➢Both K<sup>+</sup> and K<sup>−</sup> in the beam (possibility to check CP violation)
- >Very high statistics (220k  $\pi^{\pm}\pi^{0}\gamma$  candidates, 124k used in the fit )
- >Enlarged  $T_{\pi}^*$  region in the low energy part (**0** <**T** $_{\pi}^*$  < **80 MeV**)
- Negligible background contribution < 1% of the DE component</p>
- Good W resolution mainly in the high statistic region
- >More bins in the fit to enhance sensitivity to INT
- **>Order ‰** γ mistagging probability for IB, DE and INT
- Fit with free interference term

# $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$ . Enlarged $T^{*}_{\pi}$ region.





Use standard region  $55 < T_{\pi}^* < 90$  MeV as safe choice for BG rejection

But.... region <55 MeV is the most interesting to measure DE and INT

This measurement is performed in the region

### $0 < T_{\pi}^{*} < 80 \text{ MeV}$

to improve statistics and sensitivity to **DE** 

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#### Event selection

- requirements on tracks
- requirements on LKR clusters
- effort into γs pairing
- requirements on the event closure
- >All **physical BG** can be explained in terms of  $\pi^{\pm}\pi^{0}\pi^{0}$  events only
- Very small contribution from accidentals is neglected
- γ mistagging probability (a self background) is order of ‰





# $K^{\pm}$ → $\pi^{\pm}\pi^{0}\gamma$ . W shapes from MC.





### 3 MC data samples for the 3 contributions to the decay

## $K^{\pm}$ → $\pi^{\pm}\pi^{0}\gamma$ . Data-MC comparison.





#### IB contribution is very well reproduced by MC

 $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$ . Fit results.





2004 data set: x4 # events and lower systematic due to trigger



✓ For comparison with previous experiments the fraction of DE has been also measured, with:

 $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$ . Comparison.

- INT = 0
- 55<T\*<sub>π</sub><90 MeV









 $K^{\pm}$ → $\pi^{\pm}e^{+}e^{-}\gamma$ . BR measurement.



### **Never observed before**

Naïve estimation of the BR: BR( $K^{\pm} \rightarrow \pi^{\pm} e^{-\gamma}$ )=BR( $K^{\pm} \rightarrow \pi^{\pm} \gamma \gamma$ )·2 $\alpha \sim 1.6 \cdot 10^{-8}$ 

Theoretical expectation ( $\chi$ Pt based, Gabbiani 99): BR(K<sup>±</sup> $\rightarrow \pi^{\pm}e^{+}e^{-}\gamma$ )=(0.9-1.6)·10<sup>-8</sup>

#### Event sample: 92 candidates events with

1±1 accidental background 5.1±1.7 physical background

#### Normalization channel:

 $K^{\pm}$ -> $\pi^{\pm}\pi^{0}_{D}$ : 14M events



 $BR(K^{\pm} \rightarrow \pi^{\pm} e^{+} e^{-} \gamma) = (1.27 \pm 0.14_{stat} \pm 0.05_{sys}) \cdot 10^{-8}$ 

NA48/2 Preliminary





# Radiative Hyperon decays from NA48/1

# Radiative Hyperon decays from NA48/



- same detector as NA48/2
- neutral beam: mainly K<sub>s</sub>,  $\Xi^0$ ,  $\Lambda$

## $\Xi^0 \rightarrow \Lambda \gamma$ decay asymmetry (I)





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# $\Xi^0 \rightarrow \Lambda \gamma$ decay asymmetry (II)



 $\Xi^0 \rightarrow \Sigma^0 \gamma$  decay asymmetry



### □ Same method as for $\Xi^0 \rightarrow \Lambda \gamma$ , but one additional decay $\Sigma^0 \rightarrow \Lambda \gamma$ □ **13068** $\Xi^0 \rightarrow \Sigma^0 \gamma$ events selected □ ≈ 3% background



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## **Never observed before**

Naïve estimation of the BR: BR( $\Xi^0 \rightarrow \Lambda e^+e^-$ )=BR( $\Xi^0 \rightarrow \Lambda \gamma$ )· $\alpha \sim 8.8 \cdot 10^{-6}$ 

Theoretical expectation (QED based, Bernstein 65): BR( $\Xi^0 \rightarrow \Lambda e + e^-$ ) = (6.4-7.3)·10<sup>-6</sup>

#### Event sample: 412 candidates events with 7±5 accidental background 8±3 physical background Normalization channel:

 $\Xi \rightarrow \Lambda \pi^0_{\ D}$ : 30K events

BR(
$$\Xi \rightarrow \Lambda ee$$
) =(7.7±0.5stat±0.4syst)·10<sup>-6</sup>  
 $\alpha(\Xi \rightarrow \Lambda ee)$  = -0.8 ± 0.2







- > NA48/2 recent results in charged radiative Kaon decays
  - first evidence of non 0 INT term in  $K^{\pm} \rightarrow \pi^{\pm} \pi^{0} \gamma$
  - first measurement of  $K^{\pm} \rightarrow \pi^{\pm} e^{+} e^{-} \gamma$  BR

- NA48/1 recent results in radiative hyperon decays
  - new measurement of  $\Xi^0 \rightarrow \Lambda \gamma$  and  $\Xi^0 \rightarrow \Sigma^0 \gamma$ decay asymmetries
  - first measurement of the Ξ<sup>0</sup>→Λe<sup>+</sup>e<sup>-</sup> BR and decay asymmetry







## $K^{\pm}$ → $\pi^{\pm}\pi^{0}\gamma$ . Selection.

i



### **Track Selection**

- # tracks = 1
- $P_{\pi+} > 10 \text{ GeV}$
- E/P < 0.85
- No muon veto hits
- 0 MeV <  $T_{\pi}^*$  < 80 MeV

### $\gamma$ Selection

 $\cdot N_{\gamma} = 3$  (LKr clusters well separated in time)

•Min  $\gamma$  energy > 3 GeV (>5 for the fit)

 $\gamma$  Tagging Optimization

- CHA and NEU vertex compatibility
- Only one compatible NEU vertex

### **BG** Rejection

- COG < 2 cm
- Overlapping γ cuts

• 
$$|M_{K}-M_{KPDG}| < 10 \text{ MeV}$$





Two independent determination of K decay vertex: 1) charged vertex  $Z_V$ (CHA) using K and  $\pi$  flight directions (DCH) 2) neutral vertex  $Z_V$ (NEU) imposing  $\pi^0$  mass to  $\gamma \gamma$  pairs (LKr)



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# Overlapping $\gamma$ rejection

Overlapped gamma events are a very dangerous BG source: - M<sub>k</sub>, and COG cut automatically satisfied!

- Releasing the  $T^*_{\pi}$  cut they can give sizable contribution

Powerful rejection using the NA48 calorimeter - high granularity (2x2 cm cells)

- good Z vertex resolution

### Multi step algorithm looped over clusters:

1) Split 1 out of the 3 clusters in two  $\gamma$  of energies:  $\epsilon \gamma_1 = x E_{CL}$   $\epsilon \gamma_2 = (1-x) E_{CL}$  $\rightarrow$  get 4  $\gamma$  and reconstruct the event as a  $\pi^{\pm} \pi^0 \pi^0$ .

2) Compute  $Z_V(x)$  pairing the gammas and extract x imposing:  $Zv(\pi^0_1)=Zv(\pi^0_2)$  (The two  $\pi^0$  come from the same K!)

 $Zv(\pi^0)$ 

 $Zv(\pi^0)$ 

3) Use x in the  $Zv(\pi^{0}_{2})$  to get the real  $Z_{V}(\text{neu})$ If  $|Zv(CHA)-Zv(\text{neu})| < 400 \text{ cm} \rightarrow \text{the } \gamma \text{ are really overlapped} \rightarrow \textbf{REJECT}$ 



Mistagged gamma events behave like BG because they can induce fake shapes in the W distribution.

In fact due to the slope of IB W distribution they tend to populate the region of high W simulating DE events.

- 2 steps rejection of mistagged events :
- 1. Compatibility of charged and neutral vertices (2.5% mistagging)
- 2. Distance between best and second best neutral vertices > xx cm



The mistagging probability has been evaluated in MC as a function of the mistagging cut to be 1.2% at 400 cm

Very similar mistagging probabilities for **IB** and **DE** events

